லாழ ல கல்கல் சுல்லகி (மழுப் பதிப்புரிமையுடையது /All Rights Reserved] ல் வை செர சேல்கணில் தேவை செல கேல்கு கேல் குறைகளில் குறைகளில் குறைகளில் குறைகளில் குறைகளில் குறைகளில் குறைகளில் இல்வகப் பிடனாத், திணைக்களம் இலங்கைப் பிகுத்து இல்லான குறைகளில் குறுக்குகளில் குறைகளில் குறைகளில் குறைகளில் Department of Examinations, Sri Lanka Department இலங்கைக் Sulf மணைத்து திணைக்களில் Sri Lanka Department of Examinations, Sri Lanka Department (இலங்கைப் Si Lanka இலங்கைப் பிடனாத் திணைக்களம் இலங்கை காடு குறுகளில் குறைகளில் குறைகளில் குறுக்குள் குறைகளில் குறைகளில் குறைகளில் இலங்கைப் பிடனாத் திணைக்களம் இலங்கை குறைகளில் குறுகளில் குறுகளில் குறுகளில் குறைக்களில் இலங்கைப் பிடனாக் திணைக்கள இலங்கைப் பிடனாத் திணைக்களம் இலங்கை குறைகளில் குறுகளில் குறுகளில் குறுகளில் குறைக்களில் இலங்கைப் பிடனாத் திணைக்களம இலங்கைப் பிடனாத் திணைக்களும் இலங்கை குறைகளில் குறுகளில் குறுகளில் குறிகளில் குறைக்களுக்களில் இலங்கைப் பிடனாக் திணைக்களில் අධාසයන පොදු සහතික පතු (උසස් පෙළ) විභාගය, 2024 கல்விப் பொதுத் தராதரப் பத்திர (உயர் தர)ப் பரீட்சை, 2024 General Certificate of Education (Adv. Level) Examination, 2024 I සංයුක්ත ගණිතය I இணைந்த கணிதம் I **Combined Mathematics** Part B * Answer five questions only. 11. (a) Let $f(x) = x^2 + 2x + c$, where $c \in \mathbb{R}$. It is given that the equation f(x) = 0 has two real distinct roots. Show that c < 1. Let α and β be the roots of f(x) = 0. Show that $\alpha^2 + \beta^2 = 4 - 2c$. Let $c \neq 0$ and $\lambda \in \mathbb{R}$. The quadratic equation with $\alpha + \frac{1}{\alpha}$ and $\beta + \frac{1}{\beta}$ as its roots is $2x^2 + 12x + \lambda = 0$. Find the values of c and λ . (b) Let $f(x) = x^3 + px^2 + qx + p$, where $p, q \in \mathbb{R}$. The remainder when f(x) is divided by (x-2) is 36 more than the remainder when f(x) is divided by (x-1). Show that 3p + q = 29. It is also given that (x + 1) is a factor of f(x). Show that p = 6 and q = 11, and factorize f(x)completely. Hence, solve f(x) = 3(x+2). 12. (a) The parents of a family decide to invite 6 out of 15 of their close relatives for a dinner. While the father has 5 close female relatives and 3 close male relatives, the mother has 3 close female relatives and 4 close male relatives. Find the number of different ways in which (i) the father can invite 3 of his close female relatives and the mother can invite 3 of her close male relatives, (ii) the father can invite 3 of his close relatives and the mother can invite 3 of her close relatives so that 3 males and 3 females are invited.

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(b) Let
$$U_r = \frac{1}{r(r+2)(r+4)}$$
 and $f(r) = \frac{1}{r(r+2)}$ for $r \in \mathbb{Z}^+$.

Determine the value of the real constant A such that $f(r) - f(r+2) = AU_r$ for $r \in \mathbb{Z}^+$.

Hence, show that
$$\sum_{r=1}^{n} U_r = \frac{11}{96} - \frac{1}{4(n+1)(n+3)} - \frac{1}{4(n+2)(n+4)}$$
 for $n \in \mathbb{Z}^+$.

Show further that the infinite series $\sum_{r=1}^{\infty} U_r$ is convergent and find its sum.

Find the value of the real constant *m* such that $\lim_{n \to \infty} \sum_{r=1}^{n} (mU_r + U_{n+1-r}) = \frac{11}{32}$.

13. (a) Let
$$a, b \in \mathbb{R}$$
, $\mathbf{A} = \begin{pmatrix} 1 & 2 & -1 \\ 3 & a & 2 \end{pmatrix}$ and $\mathbf{B} = \begin{pmatrix} 0 & a & b \\ 3 & b & a \end{pmatrix}$. It is given that $2\mathbf{A} + \mathbf{B} = \begin{pmatrix} 2 & 4 & 3 \\ 9 & 5 & 4 \end{pmatrix}$.
Show that $a = 0$ and $b = 5$.

With these values for *a* and *b*, let $C = AB^{T}$.

Find C and write down C^{-1} .

Find the matrix **D** such that $\mathbf{DC} = \begin{pmatrix} 1 & 0 \\ 0 & 2 \end{pmatrix}$.

(b) Let $z_1, z_2 \in \mathbb{C}$. Show that

(i)
$$z_1 + z_2 = \overline{z_1} + \overline{z_2}$$

- (ii) $\overline{z_1 z_2} = \overline{z_1} \overline{z_2}$
- (iii) $z_1\overline{z_1} = |z_1|^2$

Using the result that $\overline{\left(\frac{z_1}{z_2}\right)} = \frac{\overline{z_1}}{\overline{z_2}}$ for $z_2 \neq 0$, show that if $|z_1| = 1$ and $z_1 \neq \pm 1$, and also if $\frac{z_1 + z_2}{1 + z_1 z_2}$ is real, then $|z_2| = 1$.

(c) Express $\sqrt{3} + i$ is the form $r(\cos \theta + i \sin \theta)$, where r > 0 and $0 < \theta < \frac{\pi}{2}$. Using De Moivre's theorem, show that $\frac{(\sqrt{3} + i)^{24}}{2^{23}(1+i)} = 1 - i$. For these values of p and q, show that f'(x), the derivative of f(x), is given by $f'(x) = \frac{x(3x-4)}{(x-1)^2(x-2)^2}$ for $x \neq 1, 2$, and find the intervals on which f(x) is decreasing and the intervals on which f(x)is increasing.

Sketch the graph of y = f(x) indicating the asymptotes and the turning points.

Hence, find the number of real solutions to the equation $x^2(x-1)(x-2) = 2 - 3x$.

(b) A cylinder with a top and a bottom is made to have a volume of 1024π cm³. Let r cm be the radius of the cylinder. Show that the total surface area $S \text{ cm}^2$ of the cylinder is given by $S = 2\pi \left(\frac{1024}{r} + r^2\right)$ for r > 0.

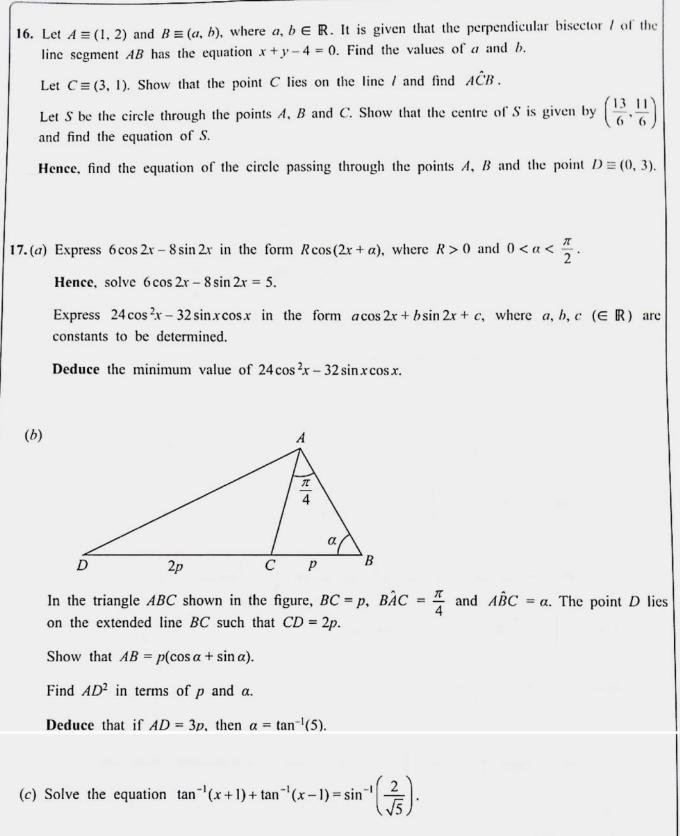
Show that S is minimum when r = 8.

15.(a) Find the values of the real constants A and B such that $3t^2 + 4 = A(t^2 - 2t + 4) + Bt(t + 1)$ for all $t \in \mathbb{R}$.

Hence or otherwise, find $\int \frac{3t^2+4}{(t+1)(t^2-2t+4)} dt$.

(b) Using the substitution $u = x + \sqrt{x^2 + 3}$, show that $\int_{0}^{1} \frac{1}{\sqrt{x^2 + 3}} dx = \frac{1}{2} \ln 3$. Let J = $\int \sqrt{x^2 + 3} \, dx$. Using integration by parts, show that $2J = 2 + \int \frac{3}{\sqrt{x^2 + 3}} \, dx$. **Deduce** that $J = 1 + \frac{3}{4} \ln 3$.

(c) Using the formula
$$\int_{0}^{a} f(x) dx = \int_{0}^{a} f(a-x) dx$$
, where *a* is a constant, show that
$$\int_{0}^{\frac{\pi}{4}} \ln\left(\frac{\cos x}{\cos x + \sin x}\right) dx = \frac{\pi}{8} \ln\left(\frac{1}{2}\right).$$





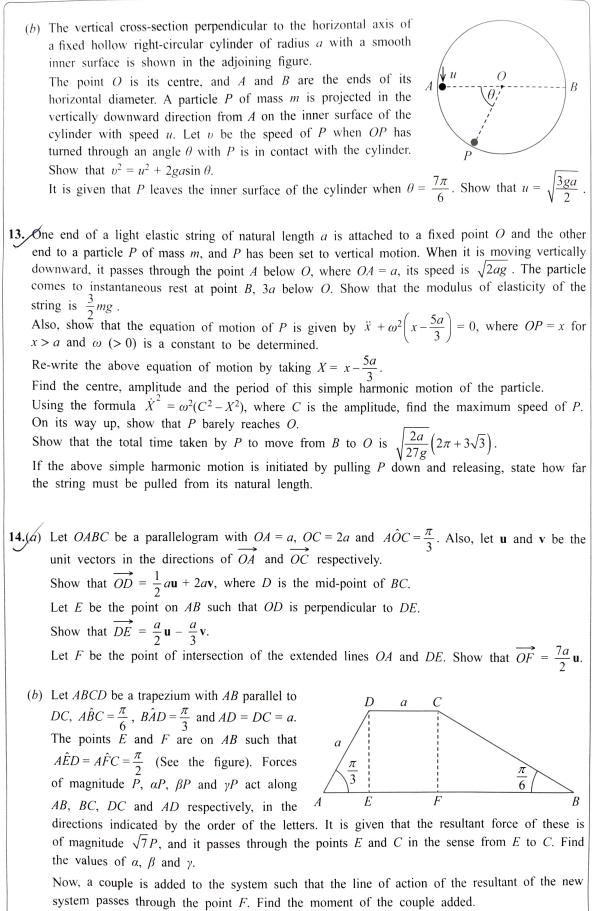
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AL/2024/10/E-II கீக்டி 9 கிரிகரி சுசிப்சி /முழுப் பதிப்புரிமையுடையது /All Rights Reserved] ශී ලංකා චිභාග දෙපාර්තමේන්තව இலங்கைப் பரிப்தைத் திணைக்களம் இலங்கைப் பு**டு இருவர் பண்டும் சென்றை இன்றை** திணைக்களம் இனங்கைப் பரி வசத் திணைக்கள Department of Examinations, Sri Lanka Department **இலங்கைய், பரியசைத்**ய **திணைக்களம்**கை, Sri Lanka Department of Examinations, Sri Lank வேல் மலைக்குவி டீ என ஸ்டி ஜோலேலேல்லு தே என ஜோல் என்னுகள் இலங்கைப் பிட்சைத் திணைக்களம் இலங்கை **Cepacingent of Examinations, StirLanka**ணக்களம் இலங்கைப் பிட்சைத் திணைக்களம අධායන පොදු සහතික පතු (උසස් පෙළ) විහාගය, 2024 கல்விப் பொதுத் தராதரப் பத்திர (உயர் தர)ப் பரீட்சை, 2024 General Certificate of Education (Adv. Level) Examination, 2024 П සංයුක්ත ගණිතය Π E П இணைந்த கணிதம் **Combined Mathematics II** Part B * Answer five questions only. (In this question paper, g denotes the acceleration due to gravity.) (1. (a) A car P that begins its journey from rest on a straight road from a point O at time t = 0 s, moves with a constant acceleration of $f \,\mathrm{m}\,\mathrm{s}^{-2}$ for 5 seconds. It then moves with the constant speed attained at t = 5 s for another 5 seconds and at t = 10 s decelerates at a constant deceleration of $f \text{ m s}^{-2}$ and comes to rest at a point A. The car P then changes its direction instantly and returns towards O with the same constant acceleration of $f \,\mathrm{m}\,\mathrm{s}^{-2}$ on the same road. Another car Q that begins its journey with an initial speed of $10f \text{ m s}^{-1}$ from the point O at t = 10 s, moves towards car P with a constant deceleration of $f \text{ m s}^{-2}$ along the same road. It is given that the distance between P and Q when P comes to rest at A, is 125 m. Sketch velocity-time graphs for the motions of P and Q from t = 0 s until they meet, in the same diagram. Show that (i) f = 10, (ii) cars P and Q meet at t = 17.5 s. (b) Three boats P, Q and R are moving in straight-line paths R with uniform speeds. At a certain instant, the boat Q is located 450 m east of the boat P and the boat R is located $200\sqrt{3}$ m $200\sqrt{3}$ metres north of the boat Q (See the figure). The boat P sails with the intention of meeting the boat Q450 m and the boat Q sails with the intention of meeting the Q Р boat R. It is given that the boat P meets the boat Q in 45 seconds and the boat Q meets the boat R in 20 seconds. Show that the speed of the boat P relative to the boat Q is 10 m s⁻¹, and find the distance between the boat P and the boat R at the instant when the boat Q meets the boat R. 12. (a) The vertical cross-section through the centres of mass of two smooth uniform wedges X, Y and a particle P is shown in the figure. AC, DE and EF are lines of greatest slope of the faces containing them with $B\hat{A}C = \alpha$ and $D\hat{E}F = \beta (< \alpha)$. The face containing AB of the wedge X X of mass M_1 is placed on a smooth horizontal table. The face containing EF of the wedge Y of mass M_2 is placed on the face of X containing AC. The particle P of mass m В A is placed on DE. The system is released from rest. Write down equations sufficient to determine the acceleration of the wedge X, while the wedge Y moves with its face containing EF touching the face of the wedge X containing AC and the particle P moves touching DE.

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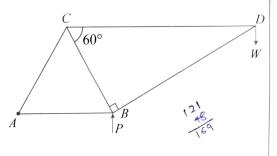
15. (a) Three uniform rods AB, BC and CD of equal length 4a and equal weight W are smoothly jointed at the end points B and C. The end A is smoothly hinged to a fixed point. The three rods are kept in equilibrium in a vertical plane by placing the rods on three smooth pegs E, F and G such that AE = CF = DG = a, A. $A\hat{B}D = 60^{\circ}$, $C\hat{B}D = 30^{\circ}$, and BD is vertical as shown in the figure.

Show that

- (i) the magnitude of the reaction exerted on the rod *CD* by the peg *G* is $\frac{W}{3}$ and
- (ii) the magnitude of the reaction exerted on the rod *BC* by the peg *F* is $\frac{11W}{9}$.

Also, find the reaction exerted on the rod BC by the rod AB at the joint B.

(b) The framework shown in the figure consists of five light rods AB, BC, CA, CD and DB that are smoothly jointed at their ends. It is given that AB = BC = CA = 2a, CBD = 90° and BCD = 60°. A load W is suspended at the joint D and the framework is smoothly hinged to a fixed point at A and kept in equilibrium in a vertical plane with AB horizontal, by a force P applied vertically upwards to it at the joint B.



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(i) Find the value of P.

(ii) Draw a stress diagram using Bow's notation for the joints D, C and B. Hence, find the stresses in the rods, stating whether they are tensions or thrusts.

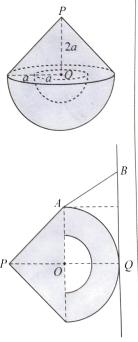
16. Show that the centre of mass of a uniform solid hemisphere of radius *a* is at a distance $\frac{5}{8}a$ from its centre and the centre of mass of a uniform solid right-circular cone of height *h* is at a distance $\frac{1}{4}h$ from the centre of its base.

A hemispherical portion of radius *a* and centre *O* is carved out from a uniform solid hemisphere of radius 2*a*, centre *O* and density ρ . Now, a uniform solid right circular cone of base radius 2*a* and height 2*a* with density $\lambda \rho$ is rigidly fixed to the remaining portion of the hemisphere, as shown in the adjoining figure. Show that the centre of mass of the body *S* thus formed, lies at a distance $\frac{(48\lambda + 157)}{8(4\lambda + 7)}a$ from *P*, where *P* is the vertex of the solid cone of *S*.

Find the value of λ such that the centre of mass of S, lies at O.

Now, suppose that λ has this value.

Let Q be the point at which the extended line PO meets the outer hemispherical surface of S. Also, let A be a point of the circular edge of S. The body S is kept in equilibrium against a rough vertical wall by means of a light inextensible string with one end attached to the point A and other end to a fixed point B on the vertical wall. In the equilibrium position, the outer hemispherical surface of S touches the wall at the point Q. The points O, A, B, P and Q lie on a vertical plane perpendicular to the wall (see the adjoining figure). Show that $\mu \ge 1$, where μ is the coefficient of friction between the outer hemispherical surface of S and the wall.



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17.(a) A box B_1 contains 2 white balls and 3 black balls which are identical in all aspects except for their colours. 3 balls are transferred at random from box B_1 into an empty box B_2 . Then a ball is drawn at random from box B_2 .

Find the probability that

- (i) the ball drawn from box B_2 is white,
- (ii) 2 white balls and 1 black ball are transferred from box B_1 into box B_2 , given that the drawn ball from box B_2 is white.
- (b) The times taken to solve a puzzle by 20 students were coded by subtracting 10 from each of the times and then dividing by 2.

The frequency distribution of the coded data with 2 missing frequencies is given below:

Coded times (in minutes)	frequency
0 - 2	2
2-4	f_1
4 - 6	9
6 - 8	f_2
8-10	1

Estimated mean for the coded times is given to be 4.4 minutes. Show that $f_1 = 6$ and $f_2 = 2$. Estimate the standard deviation and the mode of the coded times.

Now, estimate the mean, the standard deviation and the mode of the actual times taken to solve the puzzle.

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கிரை லி கிகேசி எச்சேசி /முழுப் பதிப்புரிமையுடையது/All Rights Res.	
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, අධායන පොදු සහතික පතු (கல்விப் பொதுத் தராதரப் பத்திர General Certificate of Education (A	(උසස පෙළ)
සංයුක්ත மத்துக II இணைந்த கணிதம் II Combined Mathematics II	10EII
* Answer five questions only.	B has require a la second? "I have been all all "
(In this question paper, g denotes	the acceleration due to gravity.)
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1.101 The vertical cross-section perpendicular to the horizontal axis of a fixed holow right-circular cylinder of radius *a* with a smooth a fixed holow right-circular cylinder of radius *a* with a smooth *i* fixed holow right-circular cylinder of radius *a* with a smooth *i* fixed holow right-circular cylinder of radius *a* with a smooth *i* fixed holow right-circular cylinder of radius *a* with a smooth *i* fixed holow right-circular cylinder of radius *a* with a smooth *i* fixed bias is centre, and *A* and *B* are the ends of its the point *O* is is centre, and *I* and *B* are the cylinder when
$$OP$$
 has unred through an angle 0 with *P* is in contact with the cylinder. When OP has unred through an angle 0 with *P* is in contact with the cylinder when $\theta = \frac{7\pi}{6}$. Show that $v^2 = v^2 + 2gasin \theta$. It is given that *P* leaves the inner surface of the cylinder when $\theta = \frac{7\pi}{6}$. Show that $u = \sqrt{3ga}$. It is given that *P* leaves the inner surface of the cylinder when $\theta = \frac{7\pi}{6}$. Show that $u = \sqrt{3ga}$. The particle downward, it passes through the point *A* below *O*, where $OA = a$, its speed is $\sqrt{2ag}$. The particle comes to instantaneous rest at point θ , $3a$ below *O*. Show that the modulus of elasticity of the string is $\frac{3}{2}mg$. Also, show that the equation of motion of *P* is given by $\bar{x} + \omega^2 \left(x - \frac{5a}{3}\right) = 0$, where $OP = x$ for $x > a$ and $\omega (> 0)$ is a constant to be determined. Rewrite the above equation of motion by taking $x = x - \frac{5a}{3}$. The difference amplitude and the period of this simple harmonic motion of the particle. Using the formula $\bar{x}^2 = \omega^2(C^2 - x^2)$, where *C* is the amplitude, find the maximum speed of *P*. On its way up, show that *P* barely reaches *O*. Show that the total time taken by *P* to move from *B* to *O* is $\sqrt{2ag} (2\pi + \sqrt{3})$. If the above simple harmonic motion is initiated by pulling *P* down and releasing, state how far the string must be pulled from its natural length. The point of $\overline{DC} = \frac{1}{2}m + 2m$, where *D* is the mi

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- 15. (a) Three uniform rods AB, BC and CD of equal length 4a and equal weight W are smoothly jointed at the end points B and C. The end A is smoothly hinged to a fixed point. The three rods are kept in equilibrium in a vertical plane by placing the rods on three smooth pegs E, F and G such that AE = CF = DG = a, $A\hat{B}D = 60^{\circ}$, $C\hat{B}D = 30^{\circ}$, and BD is vertical as shown in the figure.
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 - (i) the magnitude of the reaction exerted on the rod CD by the Wpeg G is $\frac{W}{3}$ and
 - (ii) the magnitude of the reaction exerted on the rod BC by the peg F is $\frac{11W}{9}$.

Also, find the reaction exerted on the rod BC by the rod AB at the joint B.

- (b) The framework shown in the figure consists of five light rods AB, BC, CA, CD and DB that are smoothly jointed at their ends. It is given that AB = BC = CA = 2a, $C\hat{B}D = 90^\circ$ and $\hat{B}CD = 60^\circ$. A load W is suspended at the joint D and the framework is smoothly hinged to a fixed point at A and kept in equilibrium in a vertical plane with AB horizontal, by a force P applied vertically upwards to it at the joint B.
 - (i) Find the value of P.

60° W B

D

(ii) Draw a stress diagram using Bow's notation for the joints D, C and B. Hence, find the stresses in the rods, stating whether they are tensions or thrusts.

16 Show that the centre of mass of a uniform solid hemisphere of radius a is at a distance $\frac{3}{8}a$ from its centre and the centre of mass of a uniform solid right-circular cone of height h is at a distance $\frac{1}{4}h$ from the centre of its base.

A hemispherical portion of radius a and centre O is carved out from a uniform solid hemisphere of radius 2a, centre O and density ρ . Now, a uniform solid right circular cone of base radius 2a and height 2a with density $\lambda \rho$ is rigidly fixed to the remaining portion of the hemisphere, as shown in the adjoining figure. Show that the centre of mass of the body S thus formed, lies at a distance $\frac{(48\lambda + 157)}{8(4\lambda + 7)}a$ from P, where P is the vertex of the cellulation of T vertex of the solid cone of S.

Find the value of λ such that the centre of mass of S, lies at O.

Now, suppose that λ has this value.

Let Q be the point at which the extended line PO meets the outer hemispherical surface of S. Also, let A be a point of the circular edge of S. The body S is kept in equilibrium against a rough vertical wall by means of a light inextensible string with one end attached to the point A and other end to a fixed point B on the vertical wall. In the equilibrium position, the outer hemispherical surface of S touches the wall at the point Q. The points O, A, B, P and Q lie on a vertical plane perpendicular to the wall (see the adjoining figure). Show that $\mu \ge 1$, where μ is the coefficient of friction between the outer hemispherical surface of S and the wall.

2aB

0

[see page ten

Q

17. (a) A box B_1 contains 2 white balls and 3 black balls which are identical in all aspects except 17. (a) A box B_1 contains 2 white balls and 3 black balls which are identical in all aspects except A box B_1 contains 2 transferred at random from box B_1 into an empty box B_2 . Then for their colours. 3 balls are transferred at random from box B_1 into an empty box B_2 . Then a ball is drawn at random from box B_2 .

- Find the probability that (i) the ball drawn from box B_2 is white,
- (ii) 2 white balls and 1 black ball are transferred from box B_1 into box B_2 , given that the drawn ball from box B_2 is white.
- (b) The times taken to solve a puzzle by 20 students were coded by subtracting 10 from each of the times and then dividing by 2.

The frequency distribution of the coded data with 2 missing frequencies is given below:

Coded times (in minutes)	frequency
0-2	2
2-4	f_1
4-6	9
6-8	f_2
8-10	i ninga ber 1

Estimated mean for the coded times is given to be 4.4 minutes. Show that $f_1 = 6$ and $f_2 = 2$. Estimate the standard deviation and the mode of the coded times.

Now, estimate the mean, the standard deviation and the mode of the actual times taken to solve the puzzle.

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